Quantum Chemistry approaches to correlations & spectroscopies (1,2)

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Department of Molecular Theory and Spectroscopy







Theoretical Methodologies to X-RAY Spectroscopies

States vs Orbitals



It is essential to understand that **Orbitals** are **NOT** observables What is observed in Spectroscopy are the many electron states In the simplest MO picture **STATES** are constructed as follows:

- Specify how electrons are distributed over the available MOs: Spatial configuration vector $\mathbf{n} = (n_1, n_2, n_3)$
- Couple the unpaired electrons to the desired total spin S. There are several ways to do that, a given spin coupling is denoted as S_kM)
- Determine the spatial symmetry of the state by taking the direct product of all single occupied MOs (Irreps denoted as ΓM_{Γ})

Note: Total Spin
$$\hat{S} = \sum_{i} \hat{s}_{i}$$

Projection $\hat{S}_{z} = \sum_{i}^{i} \hat{s}_{zi}$ } ,Constants of Motion"

Relationships

$$\left[\hat{S}_{_{p}},\hat{s}_{_{jq}}\right]=i\hbar\varepsilon_{_{pqr}}\hat{s}_{_{jr}}$$

Deep connection; basis for the application of the Wigner-Eckart theorem to the total spin problem



A State $|nS_kM\Gamma M_{\Gamma}\rangle$ in the MO Picture

Configurations n Spin Coupling S_k Spin Projection M





- Now we have found out that for three electrons in three orbitals we have two eigenfunctions with S=1/2.
- Typical situation: excited state of a radical
- $\begin{aligned} \left| A_{\frac{1}{2}\frac{1}{2}} \right\rangle &= \left| \psi_{i}^{\beta}\psi_{i}^{\beta}\psi_{o}^{\alpha} \right| \\ \left| B_{\frac{1}{2}\frac{1}{2}}a \right\rangle &= \sqrt{\frac{1}{2}} \left(\left| \psi_{i}^{\alpha}\psi_{o}^{\beta}\psi_{o}^{\alpha} \right| \left| \psi_{i}^{\beta}\psi_{a}^{\alpha}\psi_{o}^{\alpha} \right| \right) \\ \left| B_{\frac{1}{2}\frac{1}{2}}b \right\rangle &= \sqrt{\frac{1}{6}} \left(2 \left| \psi_{i}^{\alpha}\psi_{o}^{\alpha}\psi_{o}^{\beta} \right| \left| \psi_{i}^{\beta}\psi_{a}^{\alpha}\psi_{o}^{\alpha} \right| \left| \psi_{i}^{\alpha}\psi_{a}^{\beta}\psi_{o}^{\alpha} \right| \right) \\ \end{aligned}$, Trip-Doublet"







- What we have just realized is a general phenomenon: More than one states can arise from a given orbital configuration. These are called MULTIPLETS
- They are difficult to treat if one starts from a single reference determinant since many of the multiplet components look like higher excitations on a spin-orbit level
- Typical examples:

Russel-Saunders terms in atoms and ions: e.g. d^7 : 4F + 4P + 2G + 2P + 2H + 2D + 2F

d-d excited states of transition metal complexes e.g. $(t_{2g})^2(e_g)^0$: ${}^3T_{1g} + {}^1T_{2g} + {}^1E_g + {}^1A_{1g}$

core excited states of transition metal complexes e.g. $(2p)^{5}(3d)^{m}$, m=0-10Others:

Exchange couplings in oligomeric transition metal cluster

Metal Radicals



Molecules exist in states!

Application of any kind of perturbing field with Hamiltonian H1(ω) will **induce** transition between the **different states** of the systems





Optical excitations and beyond





Type of Excitations in Transition Metals



These molecules are **much more difficult** to describe accurately with quantum chemical methods

Extra complexity: Open Shell Molecules

 Many if not most organic and main group compounds exist in states that are well described by a single closed-shell determinant of the HF type:

 However, the fun starts if this is not the case, e.g. in: Short lived radicalic reaction intermediates
 Stable radicals as in spin labels
 Diradicals
 Radical Pairs
 Triplet states (carbenes, excited states)
 Transition metal complexes
 Oligonuclear transition metal clusters
 Metal radical assemblies

. . .







- The easiest open-shell situation is met when there are no degenerate orbitals and *n* electrons occupy *n* orbitals, all with spin-up (HIGH-SPIN-STATE S=n/2)
- These ,Principle component' (M=S) can be described by a single determinant:

$$\dots \psi_i \dots \psi_j \dots \psi_t \psi_u \dots$$

• It is now up to us how to distribute the electrons in groups. One way of doing this is to divide the electrons in spin-up and spindown groups and optimize a determinant of the **unrestricted Hartree-Fock (UHF)** type $(n_{\alpha}-n_{\beta}=n)$:

$$\Psi_{U\!H\!F}^{SS} \Big\rangle = \left| ...\psi_i^{\alpha} ...\psi_j^{\alpha} ...\psi_{n_{\alpha}}^{\alpha} ...\overline{\psi}_i^{\beta} ...\overline{\psi}_j^{\beta} ...\overline{\psi}_{n_{\beta}}^{\beta} \right| \quad \begin{array}{c} \text{the spatial orbitals } \psi_i{}^{\alpha} \text{ and } \psi_i{}^{\beta} \\ \text{may look totally different.} \end{array}$$

 The other choice is to group electrons into ,closed-shell' and ,open-shell' electrons and optimize a determinant of the restricted open-shell Hartree-Fock (ROHF) type: the overbar means a

$$\Psi_{\rm ROHF}^{\rm SS} \left\rangle = \left| \dots \psi_i \, \overline{\psi}_i \, \dots \psi_j \, \overline{\psi}_j \, \dots \psi_t \, \psi_u \dots \right|$$

Methods for excited and open shell states



 ROHF is a ,cleaner' technique than UHF: It can describe more complicated open-shell situations properly that require more than one-determinant:





Complete Active Space Self Consistent Field (CASSCF)

Configuration State Function Space



$$\left|\Psi_{I}^{SM(0)}\right\rangle = \sum_{K \in CAS} d_{KI} \left|\Phi_{K}^{SM;CAS}\right\rangle$$

- Single-Double excitations within the active space
- Active space ~14 electrons
- Static correlation
- SOC is included

- Perturbative treatment of Dynamic correlation through the NEVPT2 scheme
- Optical spectroscopy
 Magnetic properties
- Core el. Spectroscopies?



CASSCF calculations often provide a good qualitative starting point for the description of the states of interest.

But in order to cover dynamic correlation there are many more excitations that we can make on top of the CAS



Variational optimization of the coefficients of the CSFs gives MRCI



In the concept of CI we write for the state I:

$$\left|\Psi_{I}^{SM}\right\rangle = \sum_{K} C_{KI} \left|\Phi_{K}^{SM}\right\rangle \qquad \left|\Phi_{K}^{SM}\right\rangle \qquad \left|\Phi_{K}^{SM}\right\rangle \quad \text{One of the excited CSFs}$$

- The simplest method of this type only includes the **single orbital replacements** (CI with single excitations, **CIS**)
- On starts by defining a single HF determinant:

$$\left|\Psi_{I}\right\rangle = \sum_{ia} C_{a}^{i} \left|\Phi_{i}^{a}\right\rangle$$

• And solve the eigenvalue problem explicitly:

$$\mathbf{HC} = E\mathbf{C} \qquad \qquad H_{ia,jb} = \left\langle \Phi_i^a \mid H \mid \Phi_j^b \right\rangle = \delta_{ia,jb} \left(\varepsilon_a - \varepsilon_i\right) + \underbrace{\left\langle ib \mid |aj \right\rangle}_{(ia|jb) - (ij|ab)}$$



- For transition metal complexes, the HF method is very bad, because there is a lot of dynamic correlation missing.
- While many excited states are dominated by single excitations, a fair number of them requires either addition spin-flips to complete actual multiplet states or involve double excitations
- CIS or excited states is even worse than HF for the ground state on top of all HF failures the use of frozen orbitals and the lack of differential dynamic correlation between ground and excited states make the method unbalanced and grossly inaccurate (1-6 eV errors)
- Need a theoretical methods that are more "democratic" with respect to the treatment of ground- and excited states
- For the valence region this is provided by Multireference Configuration Interaction (MR-CI), Difference-Dedicated CI (DDCI) and Spectroscopy Oriented Configuration Interaction (SORCI)



• Now we need to cover differential dynamic correlation by performing excitations relative to at least the important CSFs of the CAS



- Fortunately from the HUGE number of (k-holes, I-particle) CSFs, only a small fraction contributes to the differential dynamic correlation energy !!!
 (idea of DDCI (Malrieu) and SORCI (Neese))
- Still these methods although nicely accurate are also computationally very expensive for medium sized molecules and impossible for large ones



- In Density Functional Theory, we only have theorems for the ground state - excited states are not covered. There is no CI in DFT, there is no CAS in DFT!
- Instead one takes an indirect route to excitation energies and properties
- Let us study the response of the ground state energy with respect to an oscillating electric field (F), the induced dipole moment() is the polarizability of the system:

$$E(\omega) = E_{_0} + \vec{\mu}(\omega)\vec{F}(\omega) + \vec{F}^+(\omega)\vec{\vec{\alpha}}(\omega)\vec{F}(\omega) + \dots$$

• As a consequence of the perturbation the Kohn-Sham orbitals themselves also become time dependent. The Ansatz is:

$$\psi_{j}(\mathbf{x},\omega) \to \psi_{j}(\mathbf{x},0) + \frac{1}{2} \sum_{b} \left\{ X_{bj} e^{-i\omega t} + Y_{bj}^{*} e^{+i\omega t} \right\}$$



• We now search for those frequencies where $\alpha(\omega)$ becomes infinite (**poles**). This must then be a valid excitation energy of the system! It is possible to show that the coefficients **X** and **Y** satisfy a non-standard eigenvalue problem:

$$\begin{pmatrix} \mathbf{A} & \mathbf{B} \\ \mathbf{B} & \mathbf{A} \end{pmatrix} \begin{pmatrix} \mathbf{X} \\ \mathbf{Y} \end{pmatrix} = \omega \begin{pmatrix} \mathbf{1} & 0 \\ 0 & -\mathbf{1} \end{pmatrix} \begin{pmatrix} \mathbf{X} \\ \mathbf{Y} \end{pmatrix}$$

With:

$$\begin{split} A_{\!_{bj,ck}} &= \delta_{\!_{bj,ck}} (\varepsilon_{\!_{b}} - \varepsilon_{\!_{j}}) + \left\langle kj \mid cb \right\rangle + \left\langle kj \mid f_{\!_{xc}} \mid cb \right\rangle - c_{\!_{HF}} \left\langle jc \mid kb \right\rangle \\ B_{\!_{bj,ck}} &= \left\langle kj \mid cb \right\rangle + \left\langle kj \mid f_{\!_{xc}} \mid cb \right\rangle - c_{\!_{HF}} \left\langle jk \mid cb \right\rangle \end{split}$$

• These are the **TD-DFT equations**. If the B-matrix is neglected, one obtains the **Tamm-Dancoff approximation**. It looks like CIS with HF exchange replaced by the exchange correlation kernel.

$$\mathbf{A}\mathbf{X}=\omega\mathbf{X}$$



Particle/hole theory (TD-DFT)



- Single electron excitations
- Works for Absorption spectra

But:

- No double excitations
- No spin-flip excitations
- ➢ Works for core electron K-edge But:
- Cannot treat the multiplet structure

Advance Theoretical Spectroscopy with ORCA



Cec

XAS spectroscopy (metal L- and K-edges)



- K-edge: (1s \rightarrow valence) \rightarrow dipole forbidden transitions
- $L_{2,3}$ -edges: (2p \rightarrow valence) \rightarrow dipole allowed transitions
- L_{2,3}-edges are more intense and more structured than K-edges

Metal L-edge spectroscopy at work...

• Metal L-edge spectroscopy is used to understand

Functionality

Reactivity of materials







- Localize 1s-orbitals
- Include the 1s-Virtual in the TD-DFT equations
- Calculate dipole and quadrupole contributions to the transition moments
- Use large basis sets on the XAS absorber atom
- Treat relativistic effects
- Compensate negative total charges through COSMO

DeBee S. George, Petrenko T., Neese F., ICA, 2007

DeBeer S. George, Petrenko T, Neese F., J. Phys. Chem. A, 2008, 112, 12936



Prediction of metal and ligand K- edges is accessible via TD-DFT methodologies .



DeBee S. George, Petrenko T., Neese F., ICA, 2007

DeBeer S. George, Petrenko T, Neese F., J. Phys. Chem. A, 2008, 112, 12936

kee Iron K-edge X-Ray Emission Spectroscopy



XES Valence to core region as a unique probe of valence orbital composition

N. Lee, T. Petrenko, U. Bergmann, F. Neese, S. DeBeer, J. Am. Chem. Soc., 2010, 132, 9715-9727.



p/h is not always good for metal L-edges even for 'simple' cases: V₂O₅ (2p⁵3d¹)





A) Particle Hole Pair Methods:

Response theory with particle/hole pairs

- Can do a good job on the electronic structure
- Contain **no** adjustable parameters
- but
- Do not correctly **span** the space of the final states
- They have problems to predict the number and relative intensities of spectral features correctly

B) Multiplets

- Correct physics!
- Requires many parameters, in particular for states outside the |p⁵dⁿ⁺¹> manifold. The parameters may not be easy to predict from first principles.
- Progress has been made in this respect





- In some cases the spectrum of orbital energy differences might look similar with the of the many particle spectrum
- ➢ e.g. for K-edges







L-edge excitations lead to final states with a (n-1)p core hole, e.g.:



The p/h space spans **only** a small part of the final state manifold!






- The 2p⁵ corehole has a very strong "in state" spin-orbit coupling that "scrambles" the multiplets
- Each Multiplet 2S+1 Γ has 2S+1 "Magnetic sublevels" M_S=S,S-1,...,-S Typical single p/h treatments can only hope to approximate one of the M_S levels but completely miss all others!
- The SOC operator is a two-electron operator
 It mixes all M_s levels of all multiplets!
 All M_s levels must be included in the treatment
 Most single determinantal based methods, even four
 component, fail to do so because they are missing determinants

$$\left\langle \Psi_{I}^{SM} \left| \sum_{i} h_{i}^{SOC} s_{i}^{(m)} \right| \Psi_{J}^{S'M'} \right\rangle = \left(\begin{array}{c|c} S' & 1 & S \\ M' & m & M \end{array} \right) \left\langle \Psi_{I}^{S} \mid \mid \sum_{i} h_{i}^{SOC} \mid \mid \Psi_{J}^{S'} \right\rangle$$

Clebsch-Gordon Coefficient Red

 ${
m Re}\,duced\,Matrix\,Element\,Y_{IJ}^{SS'}$



For atoms this is well understood:

✓ LS (Russel-Saunders) coupling:

- First couple orbital-I(i) and spin s(i)- to total L and total S
- Then coupling total L and total S to total J

✓ jj coupling:

- First couple orbital-I(i) and spin s(i)- to individual electron j(i)
- couple individual j(i) to total J
- When carried through exactly, both treatments arrive at the same answers. (Arguably LS is more transparent)
- For molecules, the jj-coupling approach appears to be prevalent (2component, 4-component) but it is rarely carried through to an extent that the results approaches the relativistic many particle spectrum.
 (Requires highly excited determinants and lots of CI!)
- ✓ We prefer LS coupling (does not need highly excited configuration state functions and very little CI) → readily arrive at a spectrum that resembles the many particle relativistic spectrum much more closely



It is **needed** to develop a method:

- Predictive
- Direct
- Physically proper
- Complete final state manifold
- Will be able to operate on large systems



 Construction of many particle wavefunctions including relativity is well understood e.g. Multireference Configuration Interaction

However

This is presently possible for only very small systems (MRCI) or relative small transition metal complexes (CASSCF, RASSCF)







Maganas D, DeBeer S, Schlögl R. Neese F et al. JCP C, 2014



Core excitation problem of CO₂



Complicated multireference problem

- Vibrational structure
- Vibronic coupling

Alpis fine but we need to simplify for larger systems Resonance Emission







Physical model space spin adapted single excitations from a high spin reference:



✓ Multiplet configuration interaction through the full hamiltonian

 $\begin{array}{l} \checkmark \quad \text{Electron-electron screening is introduced via only 3 parameters to} \\ \text{gain efficiency:} \quad H_{ia,ia}^{DFT/ROCIS} = F_{aa}^{C(KS)} - F_{ii}^{C(KS)} - C_{1}(ii \mid aa) + 2C_{2}(ia \mid ia) \\ H_{ia,jb}^{DFT/ROCIS} = C_{3} \left\{ \delta_{ij} F_{ab}^{C(KS)} - \delta_{ab} F_{ji}^{C(KS)} - (ij \mid ab) + 2(ia \mid jb) \right\} \quad \text{(off-diagonal)} \end{aligned}$

 Relativistic effects (spin orbit coupling) are explicitly treated via 2-particle spin-orbit operators (not parametric!)

$$\left\langle \Psi_{I}^{SM} \left| \hat{H}_{BO} + \hat{H}_{SOC} \left| \Psi_{J}^{S'M'} \right\rangle = \delta_{IJ} \delta_{SS'} \delta_{MM'} E_{I}^{(S)} + \left\langle \Psi_{I}^{SM} \left| \hat{H}_{SOC} \right| \Psi_{J}^{S'M'} \right\rangle \right.$$



Applications Calculation Protocols for X-Ray spectroscopies





- Localize 1s-orbitals
- Include the 1s-Virtual in the TD-DFT equations
- Calculate dipole and quadrupole contributions to the transition moments
- Use large basis sets on the XAS absorber atom
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Prediction of K-edges through TD-DFT





Predicting V2C XES with DFT Calculations

$$\sigma(\omega_{em}) = \frac{4\pi}{3} \omega_{em} \sum_{i_{\sigma} j_{\sigma}} \sum_{\alpha=x,y,z} \frac{\left|\left\langle i_{\sigma} \left| m_{\alpha} \right| j_{\sigma} \right\rangle\right|^{2} \Gamma}{\left(\omega_{FI} - \omega_{em} \right)^{2} + \frac{1}{4} \Gamma^{2}} = \frac{4\pi}{3} \omega_{em} \sum_{i_{\sigma} j_{\sigma}} \sum_{\alpha=x,y,z} \left|\left\langle i_{\sigma} \left| m_{\alpha} \right| j_{\sigma} \right\rangle\right|^{2} f\left(\omega_{em}, \omega_{ij}, \Gamma \right)$$

- Emission energies are calculated as Δ E berween one-electrom Kohn-Sham orbitals
- Transitions require metal character in molecular orbitals involved in the emission process
- Intensity is governed by the electric dipole operator (m_a)



N. Lee, T. Petrenko, U. Bergmann, F. Neese, S. DeBeer, J. Am. Chem. Soc., 2010, 132, 9715-9727. Lancaster, K.M.; Finkelstein, K.D.; DeBeer, S. Inorg. Chem. 2011, 50, 6767-6774.



Can we use wavefunction based methodologies CI or CAS and describe the core electron excitation processes explicitly? Yes





XES calculations with RAS-CI





The RASCI protocol for XES







 Intensity mechanism: reduction of the p-d exchange as modulated by metal-ligand covalency



MRCI treatment of XAS and RXES spectra of CO_2



Maganas D, DeBeer S, Schlögl R. Neese F et al. JCP C, 2014



Core excitation problem of CO₂



Complicated multireference problem

- Vibrational structure
- Vibronic coupling

Alpis fine but we need to simplify for larger systems Resonance Emission







It is an implementation:

- Efficient
- Can do 100s of states

100s of atoms \longrightarrow It is applicable to large systems



Roemelt, M. Neese F., J Phys. Chem. A. 2013, 117, 3069

Roemelt, M., Maganas D., DeBeer S, Neese F., J. Chem. Phys. 2013, 138, 204101.



Validation: Mononuclear complexes

 $d^0: V^{(V)}O_2^{R,R'}L_1$

(3) R:Me, R' :Ph (4) R:H, R' :Me

(5) R:H, R' :Ph (6) R:H, R' :PhNO₂

9) d¹:V^(IV)O(TPP

(14) d1:V(IV)(MeO)[L3]

(16) d²:V^(III)(MeOH)[L₃]





The Multiplet structure





The Multiplet structure





p/h vs many particle spectrum





p/h vs many particle spectrum



Maganas D., Roemelt M., Weyhermuller T., Blume, R., Haevecker, M., Knop-Gericke, A.; DeBeer, S., Schlögl, R., Neese, F. 16, 264 PCCP 2014



p/h vs many particle spectrum





Calculated transition Energies

Calculated absolute transition energies carry errors that arise from:

- Shortcomings of the density functionals in the core region
- Limitations of the one-particle basis set
- Shortcomings in the accurate modeling of spin-free relativistic effects.
- ✓ These errors are usually highly systematic and for a given basis set and density functional be taken into account by introducing an element—dependent shift.
- ✓ Simple linear regression is sufficient to establish predictive accuracy in the calculated transition energies



CCC C

Effects of bad covalency [CuCl₄]²⁻





Effect of Relativity treatment



$[FeCl_4]^{-1}$: comparison to experiment



- In general ROCIS and DFT/ROCIS
 perform similarly for iron chlorides
- Covalency modifies the LF splittings inside the L3 features
- The missing or incorrect intensity features originate to the missing double excitations from the DFT/ROCIS Ansatz



Roemelt, M., Maganas D., DeBeer S, Neese F., J. Chem. Phys. 2013, 138, 204101.



Embedding approach







 V_2O_5





M.G. Brik K. Ogasawara H., Ikeno, and I. Tanaka *Eur. Phys. J.* B **2006**, 51, 345





 V_2O_5











Not only that: CaF₂ and TiO₂



Maganas D., DeBeer S., and Neese F., Inorganic Chemistry Forum 2014, 53, 6374



Mixed Valence Oxides







Reactivity group Annete Trunschke



Catalysis

• Combination of spectroscopic techniques for both Experiment and Theory is needed

- State of the art XAS and Raman experimental techniques
- Well established and fully implemented calculation protocols are used: Raman/rRaman (independent mode displaced harmonic oscillator mode NEXAFS (DFT/ROCIS)

Petrenko T., Neese F, J., Chem. Phys. **2012** 137, 234107. Roemelt M., Neese, F., *J Phys. Chem. A.* **2013**, *117*, 3069. Roemelt M., Maganas D., DeBeer S. and Neese F., J. Chem. Phys. **2013** 138, 204101.


Bridging Molecular and Heterogeneous Catalysis

Homogeneous Catalysis

Heterogeneous Catalysis



Dimitrios Maganas, Annette Trunschke, Robert Schlögl, Frank Neese Faraday Discussions 2016



Oxo-Peroxo Vanadium Catalysts



- Catalyze oxydation reactions (alcohols)
- Increased functionality due to different Oxygen groups (oxo, peroxoxo,
- \succ It is needed to correlate:

Oxygen type to particular reaction step



Trunschke A., Haevecker M., Hermann K, Schlögl R., et.al. J. Phys. Chem. C, 2014, 118, 24611





A: Vanadyl type

- B: Umbrella type
- C: Dimer

D: Oligomer

V/SiO₂: Monolayer-type vanadia catalysts:

- Have been proven to be more active than crystalline V₂O₅ nanoparticles on specific oxidation reactions
- The structure of the catalytic center remains elusive

Trunschke A., Haevecker M., Schlögl R., et.al, Catal. Sci. Technol. 7, 2012, 2

Modeling vanadium loading over SBA/15





Optical & Raman Spectroscopy



Trunschke A., Haevecker M., Hermann K, Schlögl R., et.al. J. Phys. Chem. C, **2014**, 118, 24611 Petrenko T., Neese F, J., Chem. Phys. **2012** 137, 234107.



One to one assignment





X-ray spectroscopy



528



Simultaneous analysis



Sauer I., et al. Angewante Chemie 2012 42, 8006



Weighted fit to both three experiments



Of course the catalytic center Is sensitive to many things (Environment of the support, reaction conditions, ...)



Evidence: Spectroscopic response to structural correlation

Just like in molecular systems!

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• Results of predictive accuracy can be obtained for both molecular and heterogeneous catalytic systems

By employing unified experimental and theoretical protocols

Thank you for your attention!



The Orca Computational Package

Hartree-Fock

RHF,UHF,ROHF,CASSCF Direct, Semidirect, Conventional, RI-Approx., Newton-Raphson

Electron Correlation

MP2/RI-MP2 CCSD(T),QCISD(T),CEPA,CPF (all with and without RI, Local) MR-MP2, MR-MP3, MR-MP4(SD) MR-CI, MR-ACPF, MR-AQCC

Relativistic Methods

1st-5th Order Douglas-Kroll-Hess Zero'th Order Regular Approximation (ZORA) Infinite Order Regular Approximation (IORA) Picture Change Effects, All electron basis sets, (Effective core potentials)

INDO/S,MNDO,AM1,PM3,NDDO/1

Semiempirical

Join >10,000 users FREE Download http://www.cec.mpg.de/ downloads.

Density Functional

LDA, GGA, Hybrid Functionals Double hybrid functionals, RI-Approx., Newton-Raphson RKS,UKS,ROKS

Excited States

TD-DFT/CIS+gradients MR-CI/DDCI/SORCI

Molecular Properties

Analytical Gradients(HF,DFT,MP2) + Geometries + Trans.

States Polarizabilities, Magnetizabilities (Coupled-Perturbed HF/ KS)

COSMO Solvation Model Throughout

IR, Raman and Resonance Spectra (Numerical Frequencies)

EPR-Parameters (g,A,D,J,Q)

Mössbauer-Parameters (& A E

X-ray absorption-emission spectroscopy Abs,CD,MCD Spectra

Population Analysis, NBOs, Localization, Multipole Moments,...